

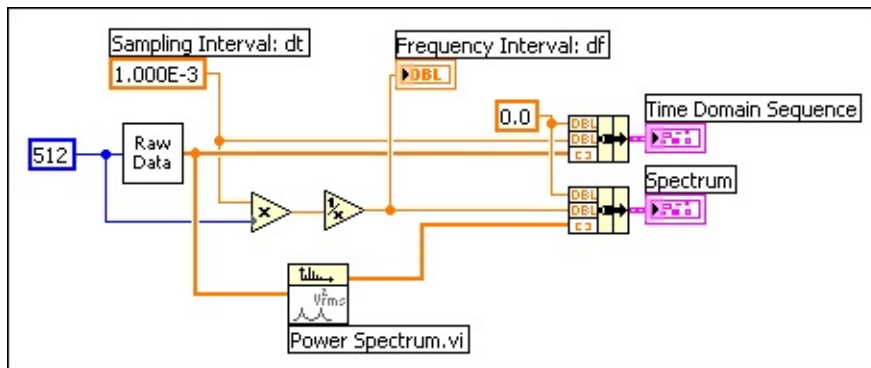
# Displaying Frequency Information from Transforms

The discrete implementation of the [Fourier transform](#) maps a digital signal into its Fourier series coefficients, or harmonics. Unfortunately, neither a time nor a frequency stamp is directly associated with the FFT operation. Therefore, you must specify the sampling interval  $\Delta t$ .

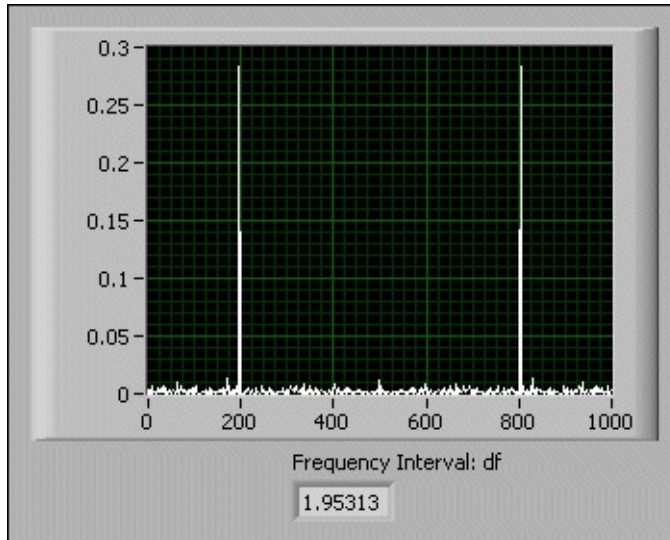
Because an acquired array of samples represents a progression of equally spaced samples in time, you can determine the corresponding frequency in hertz. The following equation gives the sampling frequency  $f_s$  for  $\Delta t$ .

$$f_s = 1/\Delta t \text{ (A)}$$

The following block diagram belongs to a VI that properly displays frequency information given the sampling interval  $1.000\text{E} - 3$  and returns the value for the frequency interval  $\Delta f$ .



The following front panel shows the display and  $\Delta f$  that the VI with the previous block diagram returns.



Two other common ways of presenting frequency information are displaying the DC component in the center and displaying one-sided spectrums.